

**Joel Dreibelbis** (Rochester Institute of Technology). “The dynamical Mordell-Lang conjecture for linear maps.”

*Abstract:* For a self-map  $f$  from  $S$  to  $S$  (one may take  $S$  to be  $g$ -tuples of complex numbers) and a point  $q$  in  $S$ , the orbit set of  $q$  under  $f$  is the set of points  $\{q, f(q), f(f(q)), \dots\}$ . What can be said about the intersection between the orbit set and a hypersurface  $H$ ? Results will be discussed in the case where  $f$  is a linear map which culminates in a uniform bound for the dynamical Mordell-Lang conjecture for linear maps.